

Course No: 1308 BUS -1308BSNE  
Course Title: principal of statistic  
Date: 17/4/2019  
No. of Questions: (3)  
Time: 1 hours  
Using Calculator (yes)

University of Palestine



2<sup>nd</sup> Midterm  
2018/2019  
Total Grade:30

Instructor Name: Assem -Bashar- Osma  
Student No.: \_\_\_\_\_  
Student Name: \_\_\_\_\_  
College Name: \_\_\_\_\_  
Dep. / Specialist: \_\_\_\_\_  
Using Dictionary (No)

**Question One:**

**10 marks**

A sales manager collected the following data on annual sales and years of experience.

Years of Experience (x)	1	3	4	4	6	8	10	10
Annual Sales (\$1000) (y)	7	8	9	10	10	12	11	13

- a. Compute the sample correlation coefficient. What does this value tell us about the relationship between Years of Experience and sales?

- b. Develop an estimated regression equation by computing the values of  $b_0$ ,  $b_1$  and  $\hat{y}$ .

Course No: 1308 BUS -1308BSNE  
Course Title: principal of statistic  
Date: 17/4/2019  
No. of Questions: (3)  
Time: 1 hours  
Using Calculator (yes)

University of Palestine  
  
2<sup>nd</sup> Midterm  
2018/2019  
Total Grade:30

Instructor Name: Assem -Bashar- Osma  
Student No.: \_\_\_\_\_  
Student Name: \_\_\_\_\_  
College Name: \_\_\_\_\_  
Dep. / Specialist: \_\_\_\_\_  
Using Dictionary (No)

- c. . Use the estimated regression equation to predict annual sales for a salesperson with 9 years of experience.

**Question two :**

**10 marks**

The employees of a company were surveyed on questions regarding their gender and smoking Of the 600 employees, 400 had male, 100 were no smoke , and 60 were no smoke male complete the table and found ?

Smoke Gender	No smoke	smoke	Total
	60		400
female			
Totals	100		600

- 1) The probability that an employee of the company is no smoke or male is :
- 2) The probability that an employee of the company is smoke and male is
- 3) The probability that an employee of the company female is.
- 4) The probability that  $P(\text{female} | \text{smoke})$

Course No: 1308 BUS -1308BSNE  
Course Title: principal of statistic  
Date: 17/4/2019  
No. of Questions: (3)  
Time: 1 hours  
Using Calculator (yes)

University of Palestine  
  
2<sup>nd</sup> Midterm  
2018/2019  
Total Grade:30

Instructor Name: Assem -Bashar- Osma  
Student No.: \_\_\_\_\_  
Student Name: \_\_\_\_\_  
College Name: \_\_\_\_\_  
Dep. / Specialist: \_\_\_\_\_  
Using Dictionary (No)

---

**Question three :****10 marks**

---

The probability that a particular type of warning system at the bank are working correctly in the presence of the danger is 0.7. You have 3 of these warning system in the bank, it works independently.

- 1) the probability that all warning system are working in the presence of danger is?
  
  
  
  
  
  
  
- 2) the probability that exactly 2 warning system working in the presence of danger is?
  
  
  
  
  
  
  
- 3) the probability that at least one warning system working in the presence of danger is?
  
  
  
  
  
  
  
- 4) the probability that at most 2 warning system working in the presence of danger is?
  
  
  
  
  
  
  
- 5) compute the Expected Value for this distribution :
  
  
  
  
  
  
  
- 6) compute the Variance for this distribution:

---

The end of the questions With best wishes for all

---

Course No: 1308 BUS -1308BSNE  
 Course Title: principal of statistic  
 Date: 17/4/2019  
 No. of Questions: (3)  
 Time: 1 hours  
 Using Calculator (yes)

University of Palestine  
  
 2<sup>nd</sup> Midterm  
 2018/2019  
 Total Grade:30

Instructor Name: Assem -Bashar- Osma  
 Student No.: \_\_\_\_\_  
 Student Name: \_\_\_\_\_  
 College Name: \_\_\_\_\_  
 Dep. / Specialist: \_\_\_\_\_  
 Using Dictionary (No)

### Rules Help

$\sigma_p = \sqrt{\frac{\pi[1-\pi]}{n}}$	$S^2 = \frac{\sum_{i=1}^n (X_i - \bar{X})^2}{n-1}$	$\sigma_{\bar{X}} = \frac{\sigma}{\sqrt{n}} \sqrt{\frac{N-n}{N-1}}$
$b_0 = \bar{y} - b_1 \bar{x}$	$\hat{y} = b_0 - b_1 x_i$	Range = $X_{\text{largest}} - X_{\text{smallest}}$
$\bar{X} \pm Z_c \frac{\sigma}{\sqrt{n}}$	$\sigma_{p_1-p_2} = \sqrt{\frac{\pi_1(1-\pi_1)}{n_1} + \frac{\pi_2(1-\pi_2)}{n_2}}$	$CV = \left( \frac{S}{\bar{X}} \right) \cdot 100\%$
$S = \sqrt{\frac{\sum_{i=1}^n (X_i - \bar{X})^2}{n-1}}$	$r = \frac{\sum_{i=1}^n (X_i - \bar{X})(Y_i - \bar{Y})}{\sqrt{\sum_{i=1}^n (X_i - \bar{X})^2} \sqrt{\sum_{i=1}^n (Y_i - \bar{Y})^2}}$	$b_1 = \frac{\sum (x_i - \bar{x})(y_i - \bar{y})}{\sum (x_i - \bar{x})^2}$
$Z = \frac{X - \bar{X}}{S}$	$\mu_{p_1-p_2} = \mu_{\pi_1} - \mu_{\pi_2} = \pi_1 - \pi_2$	$\bar{X} = \frac{\sum_{i=1}^n X_i}{n}$