Course No: TEC1304

Course Title: Understanding Telecom.

Date: 21 / 05/ 2013 No. of Questions: 4 Time: 2 hours

Using Calculator (YES)

University of Palestine

FINAL Exam 2012/2013 Total Grade: 100 Instructor Name: Dr. Anwar Mousa Student No.: _____ Student Name:

College Name: Faculty of IT

Dep. / Specialist: _____ Using Dictionary (No)

• Answer all Questions

First Question	No. of Branches (2)	(20/100)
04.704		(40.400)

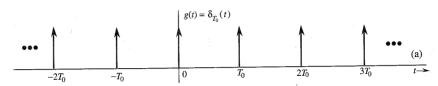
Q1 B1 (10/20) Compare the expressions of the trigonometric Fourier series for a signal g(t) and the compact trigonometric Fourier series.

<u>Q1 B2</u> (10/20

Show the relation between the coefficients of the exponential Fourier series and the compact trigonometric Fourier series for a signal

Second Question No. of Branches (1) (25/100)

Q2 B1



For the above periodic impulse train:

- a. Find the compact Fourier series and sketch the corresponding spectra.
- b. Find the exponential Fourier series and sketch the corresponding spectra.
- c. Compare the two spectra.

Third Question	No. of Branches (3)	(25/100)
Q3 B1		(5/25)
Find the Fourier transform of $\delta(t)$		
O4 P4		(4010=)
Q3 B2		(10/25)
Find the Fourier transform of the sin	usoid $\delta(t-t_0)$	
Q3 B3		(10/25)

Find the inverse Fourier transform of $\delta(\omega-\omega_0)$.

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Fourth Question No. of Branches (2) (30/100)

<u>Q4 B1</u> (15/30)

$$\overline{\mathbf{lf}} g(t) \xrightarrow{FT} G(\omega)$$

then find the Fourier Transforms (FT) of

- a. g(-t)
- **b.** g(3t)
- c. Based on b., if a signal is compressed by a factor of 3 in time domain, explain what happens to its spectra (frequency domain).

Q4 B2 (15/30)

g(t) is a power signal and input to a linear time-invariant system whose impulse response is h(t). If z(t) is the corresponding output:

- a. Express the output as a function of the input and impulse response in time and frequency domains
- b. Find out the power spectral density of the output signal. And write down the power expression of the output signal as a function of the power spectral density.

End of Questions

Good Luck